

Logarithms

Log^r of a Vulgar Fraction
Subt: the Log^r of the Denom:
from the Log^r of the Num:
The Remainder is the Log^r of
the Fraction —

N.B. The Index of the Log^r of any
proper Fraction is negative
and its Complement to 9,
99 &c gives the number of
Cyphurs prefixed to the Decimal
equivalent to the Vulgar
fraction

$$\begin{aligned}
 3456789 &= 9.311 \\
 &= 6.5356722 \\
 5067.123 &= 3.7047615 \\
 .758 &= 9.8796692 \\
 .034 &= -5.5314759 \\
 .00079 &= -6.5976271 \\
 \frac{3}{4} &= -9.5750613 \\
 \frac{6}{7} &= -9.9330533 \\
 4\frac{1}{2} &= 0.6532125 \\
 \frac{1}{2} \sqrt{\frac{2}{3}} &= -9.5225727 \\
 .0000000004 &= -59.6020600
 \end{aligned}$$

N.B. The number of Cyphers in the
 Decimals ^{Figures} ~~part~~ deducted from 9 or 99
 gives the negative index to the
 Logarithm —

To find the Log: = nat. n^o. of
 given places - Rule - Multiply
 the Diff: of Log: by the two last
 figures of the Nat. N^o and divide
 by 100 add the quotient to the Log:
 you want

4. 7234752
 5. 3768947
 3. 1478914
 6. 4909
 0. 5123047
 .27096 - 9. 4329134
 .0099614 - 7. 9983210
 0000000053374 - 1. 7274125
 0000000021252 - 89. 3274152
 3456729 = 6. 5356728

To find the Nat: number to
 a given Log: to seven places
 Rule Find the Diff: between the
 given Log: and the next less
 add two Cyphers and divide by
 the N^o. in Coll. Diff: The two
 figures in the quotient added
 to the five give the Nat: N^o.

7.5496324
8.7234567

Addition Leaf

When the Indices are both
affirmative - the Index of the sum
is affirmative -

When ^{all} both Negative

Rule - Add together the Leaf
and Subtract ^{from the Index} as many tens
more or unity as there are Leaf.
Add, the remainder shows the nr.
of Cyphers that must be prefixed
to the significant figures of the
Product corresponding to the Leaf

Examples

$$\begin{array}{r} - 9.5476427 \\ - 7.2749234 \\ \hline 17.1225661 \\ \hline 19 \\ \hline 2 \text{ Cyphers} \end{array}$$

$$.75 \times .0045 = .003375$$

$$.05 \times .00094 =$$

$$.124 \times .06 \times .374 \times .00097 =$$

$$.054 \times .00056 \times .37 \times .00005 = .00000001392354$$

When one Index is aff: and the other negative
Rule. If after addition the Index is less or more than ten subtract ten and the remainder is affirmative
If less than ten negative

Ex^{ts}

$$3.4674893$$

$$-9.2139374$$

$$450.2 = \frac{2.6514267}{}$$

$$6.4394372$$

$$-2.1963124$$

$$.043226 - 5.6357496$$

$$346 \times .096$$

$$3956.47 \times .000469 =$$

Subtraction

Indices both affirmative

Both negative - Rule
If the upper Log. be greater than the lower, the index of the remainder will be affirmative; but if the lower be greater add 10 to the upper and the remainder will be negative

$$\begin{array}{r}
 -9.2476427 \\
 -7.2749234 \\
 \hline
 2.5727193 = 373.27
 \end{array}$$

$$\begin{array}{r}
 -7.2476427 \\
 -9.2749234 \\
 \hline
 -7.5727193
 \end{array}$$

When one index is affirmative and the other negative

If the index of the upper Log. be affirmative add ten to it and the remainder will be affirmative

If the index of the upper Log. be negative the remainder will be negative

Divide 32 by .0004

$$\begin{array}{r}
 32 \text{ Log } 11.3051500 \\
 - 6.6020600 \\
 \hline
 20000 - 4.9030900 \\
 \hline
 10200. \text{ Log } 10 = 14.0334232 \\
 000009 - 3.9542425
 \end{array}$$

Arithmetical Comp.

The Arith. Comp. of a Log
is its Comp. to 10

The addition of the A.C. in
any operation answers to the
Subtraction of the Log. —